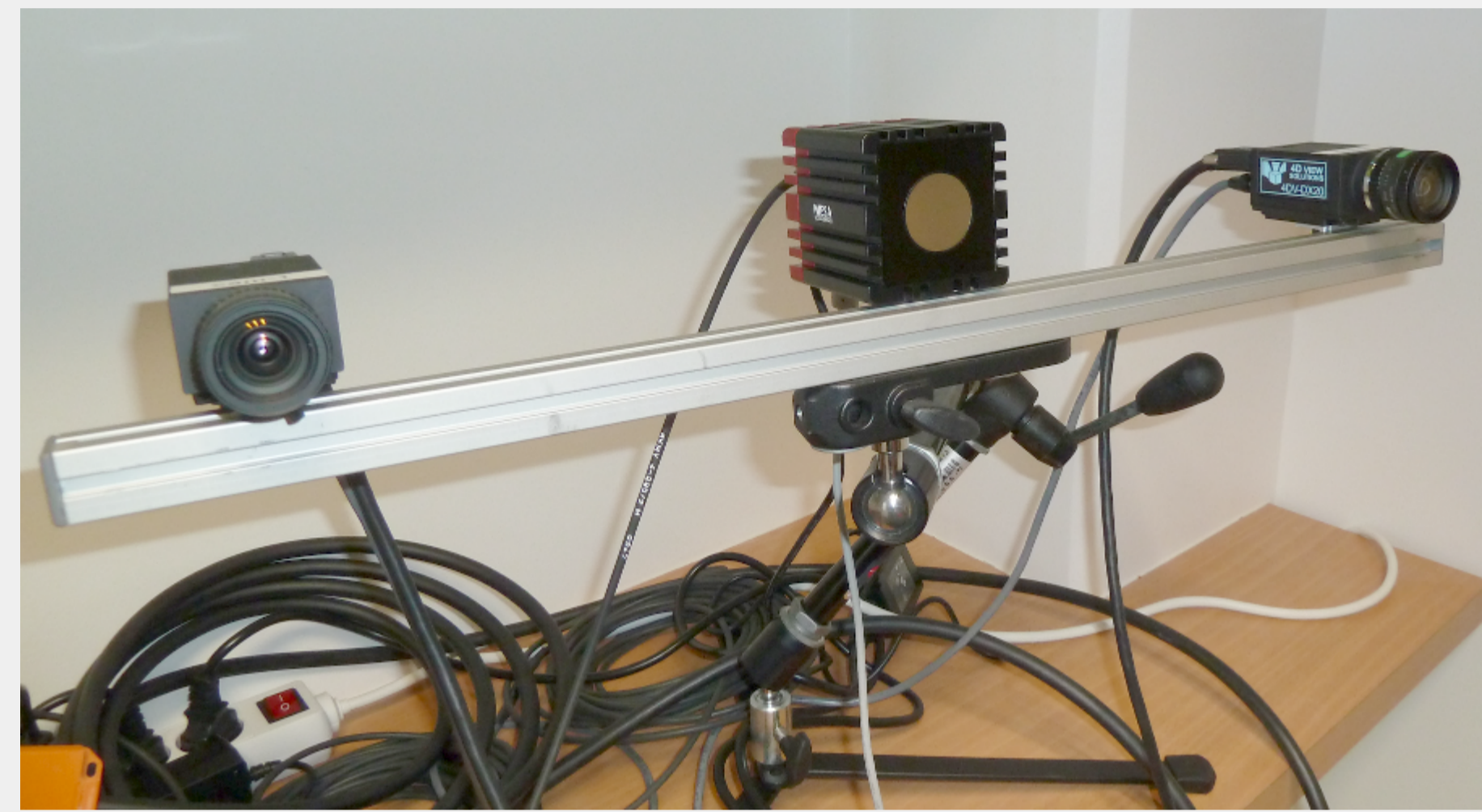


1. Introduction

- ▶ The aim is to construct a dense 3D representation, with RGB texture.
- ▶ Data is provided by a **time of flight** camera, plus a **stereo** system.



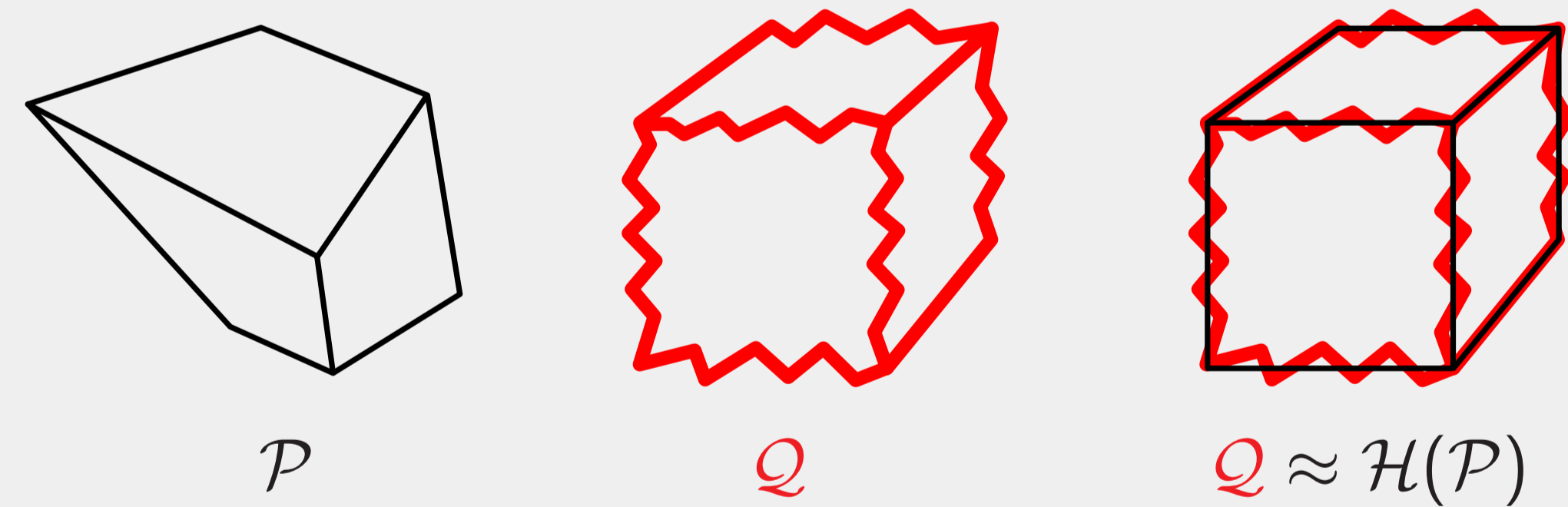
TOF Camera
176×144 px.
Range 500cm

RGB Cameras
1624×1224 px.
Baseline 60cm

- ▶ The range camera provides no colour information.
- ▶ The binocular system is uncalibrated, except for lens distortion.

2. Main Idea

- ▶ The stereo representation \mathcal{P} is relatively **precise**, but only **projective**.
- ▶ The range representation \mathcal{Q} is **noisy**, but essentially **Euclidean**.
- ▶ Find the transformation $\mathcal{Q} \approx \mathcal{H}(\mathcal{P})$ between the two representations.



- ▶ Let $H_{4 \times 4}$ be a projective transformation of 3D space, hence:

$$\mathcal{Q} \simeq \mathcal{H}(\mathcal{P})$$

- ▶ H is only estimated **once**; it then applies to all points at all times.
- ▶ Dense **RGB correspondence** can be initialized by $P \simeq H^{-1}Q$.
- ▶ Also applies to **fully calibrated** stereo systems, with \mathcal{H} a rigid motion.

3. Input Data

- ▶ Stereo data P_i comes from a projective-invariant triangulation method.
- ▶ Planes are **robustly** fitted to the range calibration data.
- ▶ Range data Q_i comes from the **intersection** of TOF rays with planes.
- ▶ Correspondence $P_i \leftrightarrow Q_i$ is obtained by using a known planar pattern.

4. Estimation

- ▶ The homogeneous relation $Q \simeq HP$ is expressed (Förstner '05) as:

$$(Q)_{\wedge} HP = 0_6, \text{ where } \begin{pmatrix} Q_{1:3} \\ q_4 \end{pmatrix}_{\wedge} = \begin{pmatrix} q_4/3 & -Q_{1:3} \\ (Q_{1:3})_{\times} & 0_3 \end{pmatrix}_{6 \times 4}$$

- ▶ Let $h_{16} = \text{vec}(H)$, and consider $N \geq 5$ matched points, hence:

$$\begin{pmatrix} P_1^T \otimes (Q_1)_{\wedge} \\ \vdots \\ P_N^T \otimes (Q_N)_{\wedge} \end{pmatrix} h_{16} = 0_{6N}$$

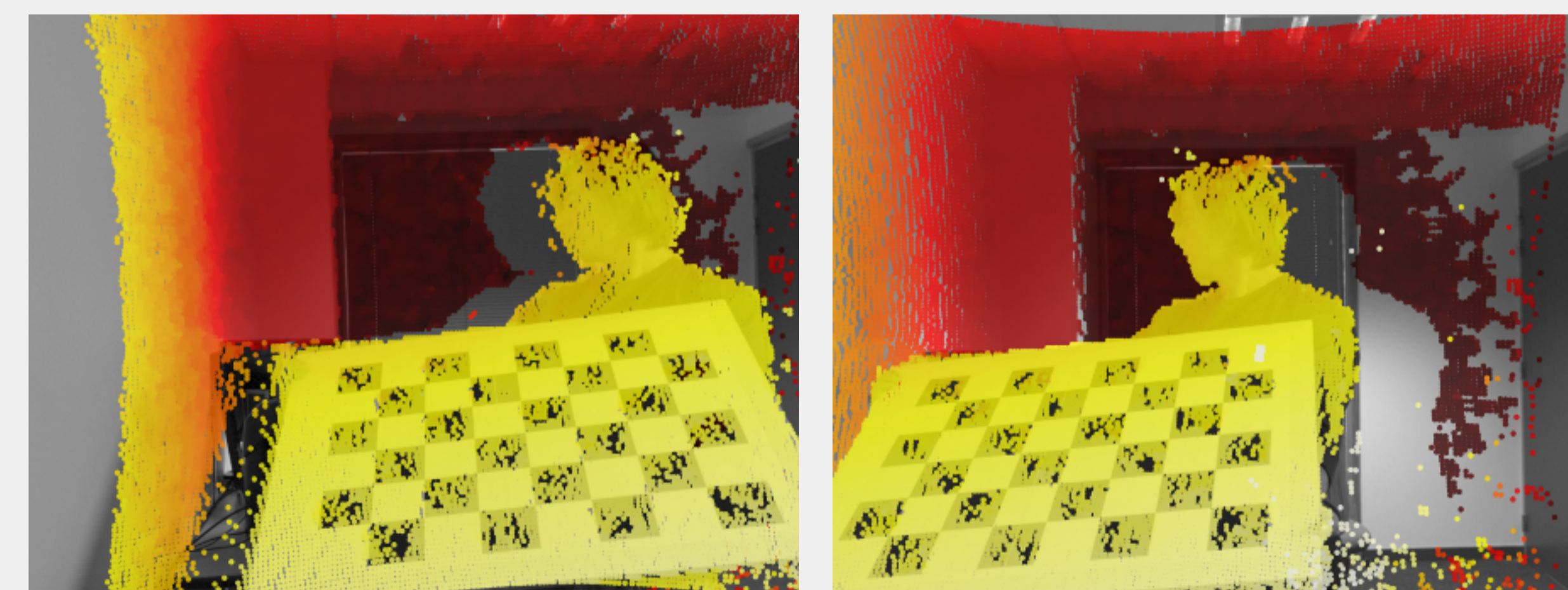
- ▶ The solution, obtained by SVD, minimizes an **algebraic error**.

5. Reprojection

- ▶ Left and right stereo images, plus colour-coded TOF depth map:



- ▶ Reprojection of the 3D range-points, via new cameras C'_L and C'_R :



- ▶ Gaps are occluded or undetected surfaces / depth outliers.
- ▶ The range data are unreliable for very scattering surfaces, e.g. hair.

6. Transformed Cameras

- ▶ The space-homography is used to transform the RGB cameras:

$$C'_L = C_L H^{-1} \quad \text{and} \quad C'_R = C_R H^{-1}$$

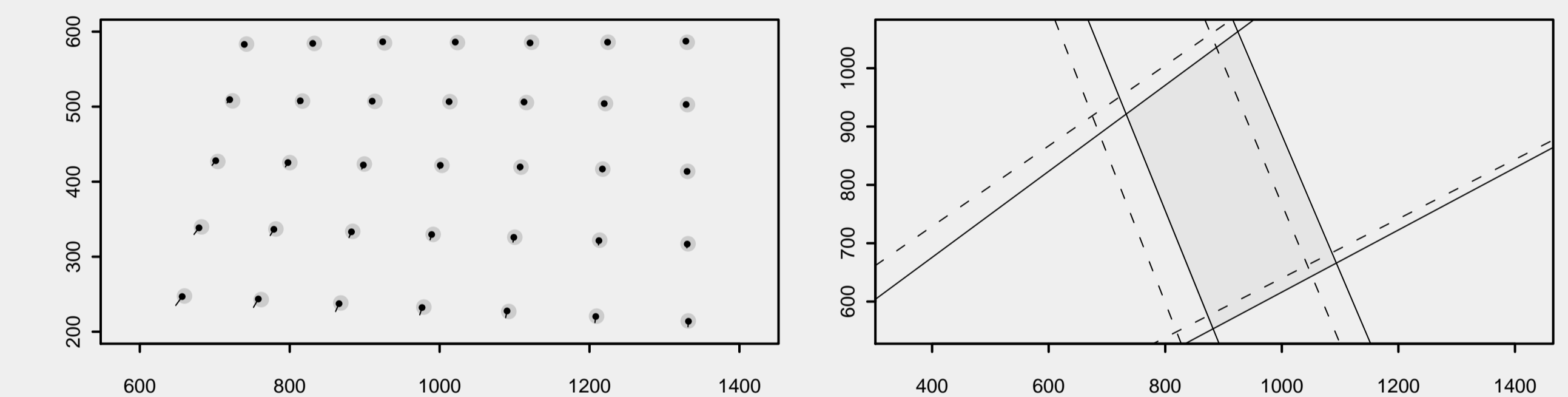
- ▶ New cameras are used to project **all** range points into the RGB views.

7. Plane-Based Method

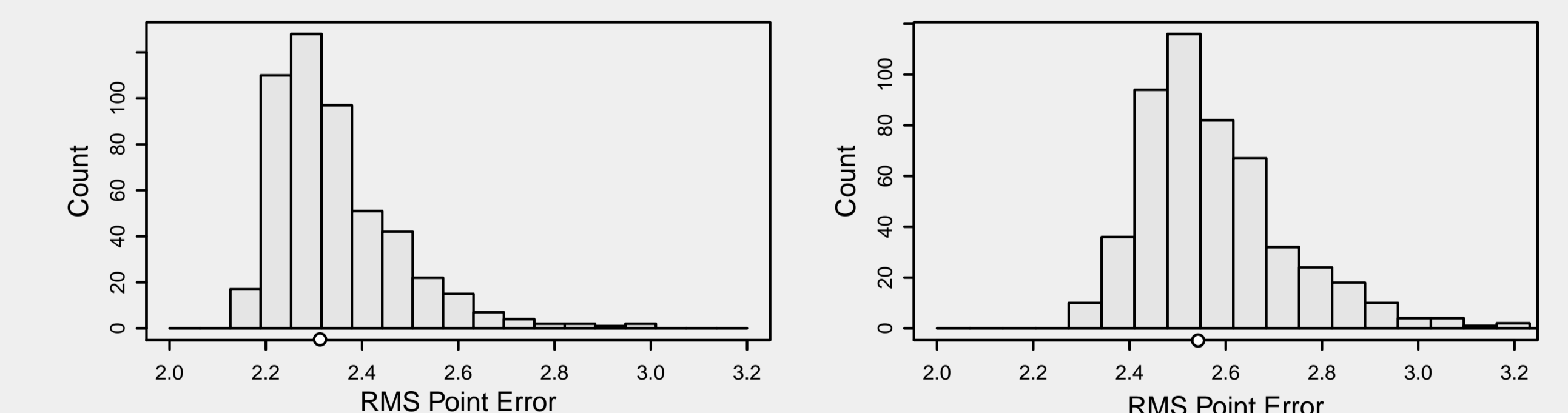
- ▶ Detection of calibration-features in the TOF intensity data is difficult.
- ▶ It is easier to detect calibration planes directly in the depth data.
- ▶ There is a **dual procedure** for mapping between planes:
$$V \simeq H^{-T}U$$
- ▶ Extra planes, through the TOF centre, come from straight depth-edges.
- ▶ These correspond to **lines** in the TOF image-data.

8. Evaluation

- ▶ Initial SVD solution is improved by minimizing **reprojection error**.
- ▶ Minimize over H , preserving epipolar geometry, or over C'_L and C'_R .
- ▶ Example reprojections of calibration-plane data:



- ▶ Grey points / quadrilateral are the true feature locations.
- ▶ Black points / solid lines are the optimized projections.
- ▶ Point-error is used as the final evaluation metric in both cases:



- ▶ Final **RMSE** of ~ 2.5 pixels in the 1624×1224 images is achievable.

9. Conclusions

- ▶ Pinhole-camera **geometry** can be applied to range cameras.
- ▶ A projective binocular reconstruction can be **upgraded** to a Euclidean reconstruction, by mapping it onto 3D range data.
- ▶ The high-precision reconstruction can be **textured** with RGB data from the colour images.
- ▶ Current work involves extending these methods to **multi-TOF** systems.